

Fuglede Putnam Theorem For Hyponormal Or Cl

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Fuglede Putnam Theorem For Hyponormal

An asymmetric Fuglede-Putnam's Theorem for w -hyponormal operators and dominant operators is proved, as a consequence of this result, we obtain that the range of the generalized derivation induced by the above classes of operators is orthogonal to its kernel. Mathematics subject classification (2010): 47B47, 47A30, 47B20.

[PDF] Fuglede-Putnam's theorem for w -hyponormal operators ...

The Putnam-Fuglede theorem now says that if $\{x \in B(H) \mid \mathcal{A}x = 0\}$ and $\{x \in B(H) \mid \mathcal{B}x = 0\}$, then $\mathcal{A}x = 0 \Rightarrow \mathcal{B}x = 0$. This version of the Putnam-Fuglede theorem has been generalized to the Banach space setting as follows: if \mathcal{A} and \mathcal{B} are commuting Hermitian operators on a complex Banach space V , then, given $x \in V$,

Putnam-Fuglede theorems - Encyclopedia of Mathematics

6 The Fuglede-Putnam theorem Proof. Since by assumption $XT= SX$, we can see that $(\ker X)$ and $\text{ran} X$ are invariant subspaces of T and S , respectively. Therefore by Lemma 9 we have that $T|_{(\ker X)}$ is p -hyponormal and $S|_{\text{ran} X}$ is also (p, k) -quasihyponormal. Now consider the decompositions $(\ker X) \oplus \ker X$ and $\text{ran} X \oplus \text{ran} X$. Then we have the following matrix

THE FUGLEDE-PUTNAM THEOREM FOR QUASHYPNORMAL OPERATORS

Theorem 1.1 (Fuglede-Putnam theorem, [3, 10]) Let (H, T) and (H, S) be normal operators, then $(S^*X=XT^*)$ ensures $(S^*X=XT^*)$. Theorem 1.2 Let (H, T) and (H, S) be normal operators, then $(S^*X=XT^*)$ ensures $(S^*X=XT^*)$.

Fuglede-Putnam type theorems for (p, k) -quasihyponormal operators

hyponormal operator or (c) T is a w -hyponormal such that $\ker(T) \cap \ker(T^*)$ and S is a class Y , then the pair (T, S) satisfy Fuglede-Putnam property. Keywords : w -hyponormal operators; Fuglede-Putnam theorem; quasinormal

Quasinormality and Fuglede-Putnam Theorem for Hyponormal ...

An extension of Putnam-Fuglede theorem for hyponormal operators M. Radjabipour 1 Mathematische Zeitschrift volume 194 , pages 117-120 (1987) Cite this article

An extension of Putnam-Fuglede theorem for hyponormal ...

FUGLEDE-PUTNAM THEOREM AND QUASISIMILARITY OF CLASS p ... Keywords and phrases: p -hyponormal operator, class p - $wA(s, t)$ operator, Fuglede-Putnam theorem, quasisimilar. REFERENCES [1] A. ALUTHGE, On p -hyponormal operators for $0 < p < 1$, Integral Equations Operator Theory 13 (1990), 307-315.

Fuglede-Putnam theorem and quasisimilarity of class p - $wA(s, t)$...

The Putnam-Fuglede theorem holds modulo the compacts (simply consider the Putnam-Fuglede theorem in the Calkin algebra), and does not hold modulo the ideal of finite-rank operators. In a remarkable extension of the Putnam-Fuglede theorem to Schatten-von Neumann ideals, (cf. also Calderón couples), G. Weiss proved in [a12] that implies.

Putnam-Fuglede theorems - Encyclopedia of Mathematics

The result. Theorem (Fuglede) Let T and N be bounded operators on a complex Hilbert space with N being normal. If $TN = NT$, then $TN^* = N^*T$, where N^* denotes the adjoint of N . Normality of N is necessary, as is seen by taking $T = N$. When T is self-adjoint, the claim is trivial regardless of whether N is normal: $TN \subseteq (NT) \subseteq (TN) \subseteq N \subseteq T$.

Fuglede's theorem - Wikipedia

The Fuglede-Putnam theorem states that if N and M are normal operators in $B(H)$ and $NX = XM$ for some $X \in B(H)$, then $N^*X = XM^*$. This theorem has been generalized [13,7] as follows.

ON GENERALIZED FUGLEDE-PUTNAM THEOREMS OF HILBERT-SCHMIDT TYPE

unilateral shifts shows that this theorem cannot be extended to the class of hyponormal operators. Let us write the Putnam-Fuglede theorem in an asymmetric form: if $A \in B(H)$ and $B \in B(H)$ are normal operators and $AX = XB$ for some $X \in B(H)$, then $AX = XB$. Many authors extended this theorem for different non-normal classes of operators (see [2,4;12]).

Asymmetric Putnam-Fuglede Theorem for (n, k) -Quasi ...

generalization of the Fuglede-Putnam theorem where all the operators involved were unbounded. The classical and most known form of the Fuglede-Putnam theorem is the following. THEOREM A. If A, N and M are bounded operators such that M and N are normal, then $AN = MA \Rightarrow AN^* = M^*A$. The proof may be found in many textbooks (see e.g. [4, Chap. IX, Theorem 6.7], [8, p. 67] or [9, Problem 152]).

YET MORE VERSIONS OF THE FUGLEDE-PUTNAM THEOREM

The Fuglede-Putnam's theorem is very useful in operator theory thanks to its numerous applications. In fact, the Fuglede-Putnam's theorem was first proved in case $A = B$ by B. Fuglede [7] and then a proof in the general case by C. R. Putnam [23]. A lot of researchers have worked on it since the papers of Fuglede and Putnam. S.

THE FUGLEDE-PUTNAM THEOREM AND PUTNAM'S

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(PDF) On the theorem of Fuglede-putnam

The familiar Fuglede-Putnam theorem asserts that if A and B are normal operators and if X is an operator such that $AX = XB$, then $A^*X = XB^*$. We shall relax the normality in the hypotheses on A and ...

(PDF) On generalised Putnam-Fuglede theorems

ON THE GENERALIZED FUGLEDE-PUTNAM THEOREM M. H. M. RASHID, M. S. M. NOORANI AND A. S. SAARI Abstract. In this paper, we prove the following assertions: (1) If the pair of operators (A, B) satisfies the Fuglede-Putnam Property and $S \in \ker(A, B)$, where $S \in B(H)$, then we have $k(A, B) \subseteq S \subseteq k(A, B)$.

ON THE GENERALIZED FUGLEDE-PUTNAM THEOREM

Mecheri S., Tanahashi K., Uchiyama A.: Fuglede-Putnam theorem for p -hyponormal or class Y operators. Bull. Bull. Korean Math. Soc. 43 (4), 747-753 (2006) MathSciNet zbMATH CrossRef Google Scholar

Fuglede-Putnam type theorems via the Aluthge transform ...

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